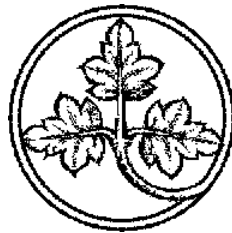


Banks without Parachutes – Competitive Effects of Government Bail-out Policies

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Banking, Financial Stability, and the Business Cycle
Sveriges Riksbank Stockholm, August 28, 2004



1. Motivation

Example of Japan

- Thin interest rate margins for private banks
- Reason: Strong competition from government financial institutions
- Postal savings system
- **Risk taking affected?**
 - at private (competitor) banks?
 - at protected banks?
- Comparable situation at
 - public banks?
 - banks that are “too big to fail”?

Literature on risk taking of **competitor banks**



Stockholm, August 28, 2004
Hendrik Hakenes
MPI Collective Goods, Bonn



Literature on risk taking of **protected banks**

1. Protected banks anticipate they will be saved
→ choose risky projects
 - Merton (JBF, 1977)
 - Boyd and Gertler (Fed Minneapolis 1994)
 - Schnabel (2003, 2004)

2. Competition and stability literature
→ protection as a subsidy
→ raises charter value
→ reduces risk taking
 - Keeley (AER, 1990)
 - Matutes and Vives (EER, 2000)
 - Cordella and Yeyati (EER, 2002)
 - **Allen and Gale** (JMCB, 2004)



Results

- Competitor banks always suffer from protection, take on **more risk**
- Effects of protection on protected bank depend on **transparency**
- Welfare increase possible in opaque markets



Outline of the Presentation

1. Motivation ✓
2. The Model
 - 2.1. Opaque Banks
 - 2.2. Transparent Banks
3. Conclusion



2. The Model

- n banks take deposits, invest in risky projects
- risky project: returns y with probability $p(y)$
- exogenous bail-out probability β_i for bank i
- Cournot competition on deposit market, $R = R(D)$
- continuum of risk neutral depositors
→ depositors demand default premia ρ_i



Notation

- d_i volume of deposits collected by bank i
 D aggregate volume of deposits, $D = \sum d_i$
 $R(D)$ expected return for deposits (\sim interest rate)
 y_i target return of bank i 's investment
 $p(y_i)$ probability of success
 β_i bail-out probability for bank i
 ρ_i default premium factor

→ Expected profit of a bank (index omitted)

$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



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2.1. Opaque Banks

Time structure (index omitted)

- government fixes bail-out probabilities β
- depositors **set default premium** ρ
- banks choose d (influencing $R(D)$)
- banks **choose** y , invest
- projects mature, return y with prob. $p(y)$
banks pay out $\rho R(D)$ (if possible)
else, government pays $\rho R(D)$ with prob. β

Assumption: $R''(D)$ and $p''(y)$ not too large, supply elasticity of deposits not too small



2.1.1. Monopoly

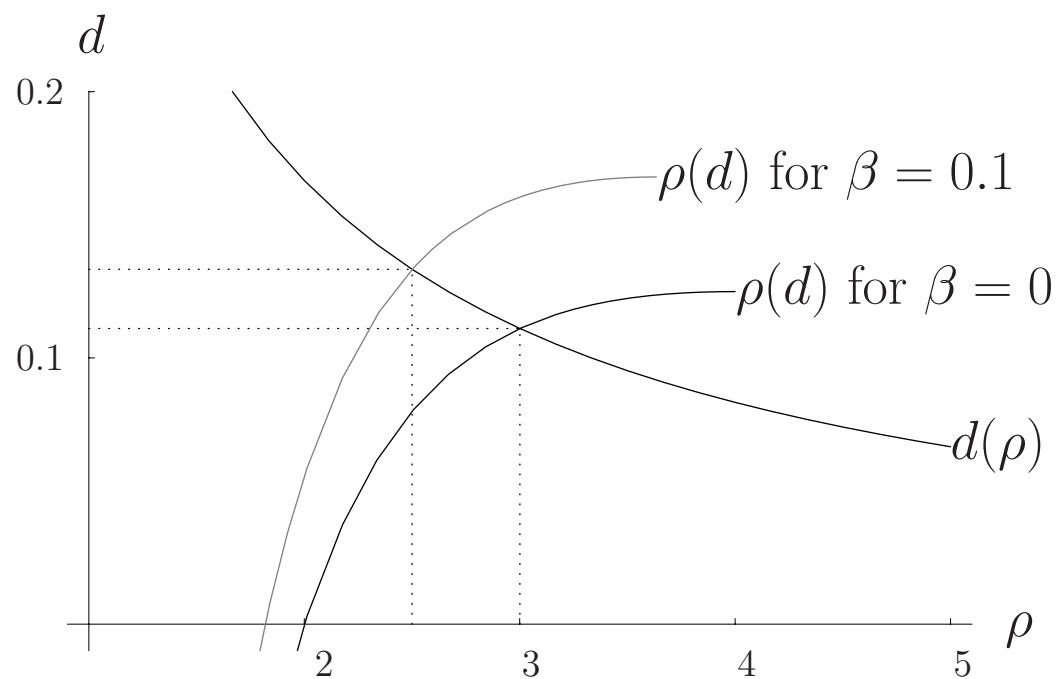
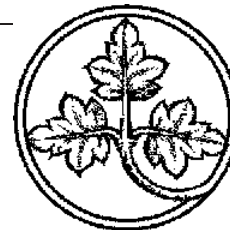
- Backward solution:

$$\begin{aligned}\Pi &= p(y) d [y - \rho R(D)] \\ \partial\Pi/\partial y &= d [p(y) + [y - \rho R(d)] p'(y)] = 0, \\ y_d &= \frac{\rho p'(y) R'(d)}{2 p'(y) + [y - \rho R(d)] p''(y)} > 0, \\ y_\rho &= \frac{p'(y) R(d)}{2 p'(y) + [y - \rho R(d)] p''(y)} > 0,\end{aligned}$$

$$\Pi(y, d, \rho) \rightarrow \Pi(d, \rho)$$

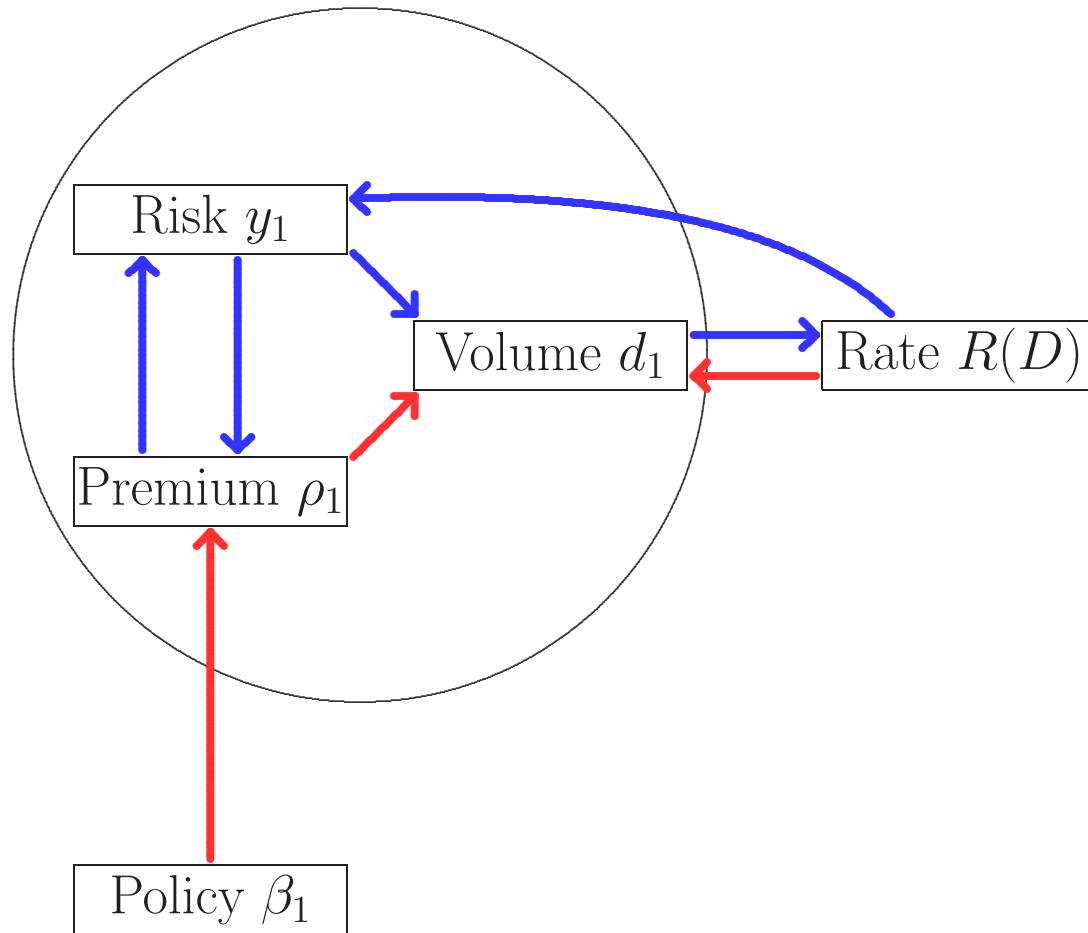
- Next step: solve for d and ρ ,
in equilibrium,

$$\begin{aligned}- d \text{ optimal for given } \rho: & \quad \frac{\partial\Pi}{\partial d} = 0 \\ - \rho \text{ fair for given } d: & \quad \rho = \frac{1}{p(y) + \beta(1 - p(y))}\end{aligned}$$

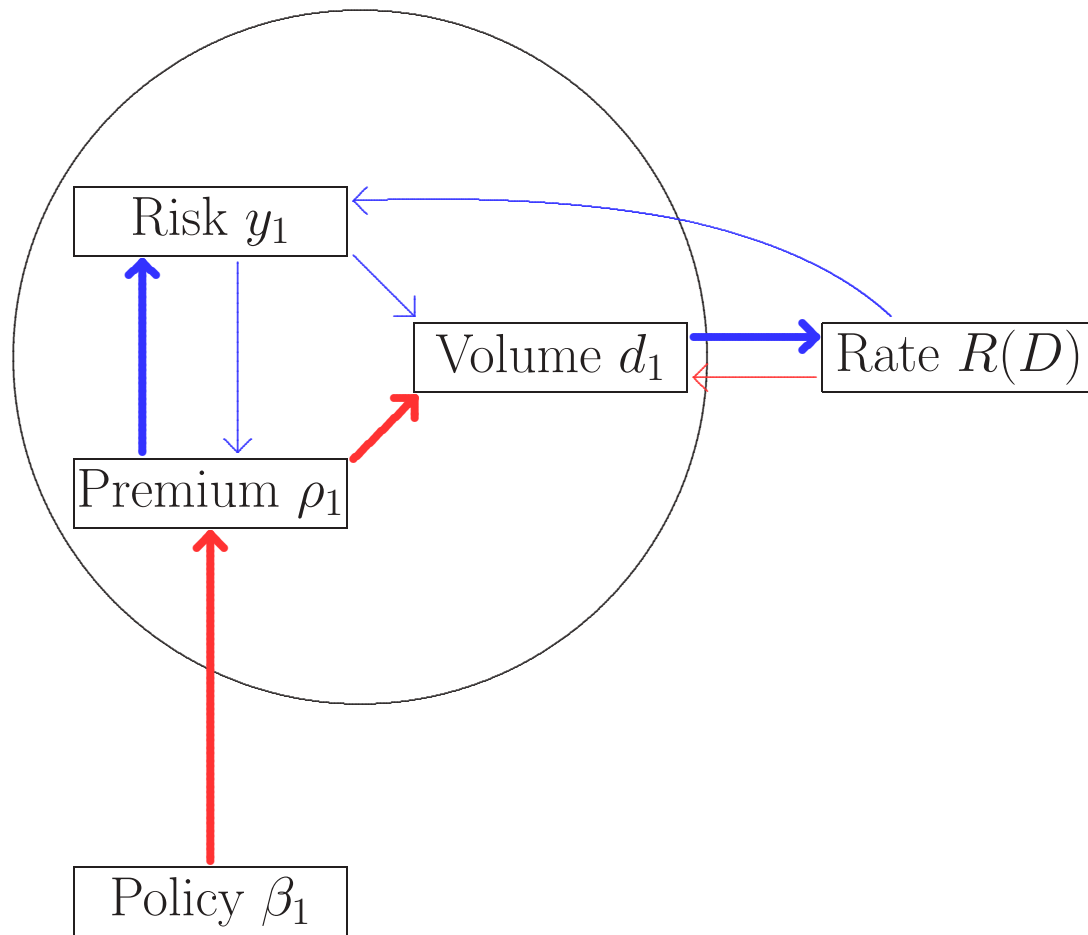


Results: With rising β ,

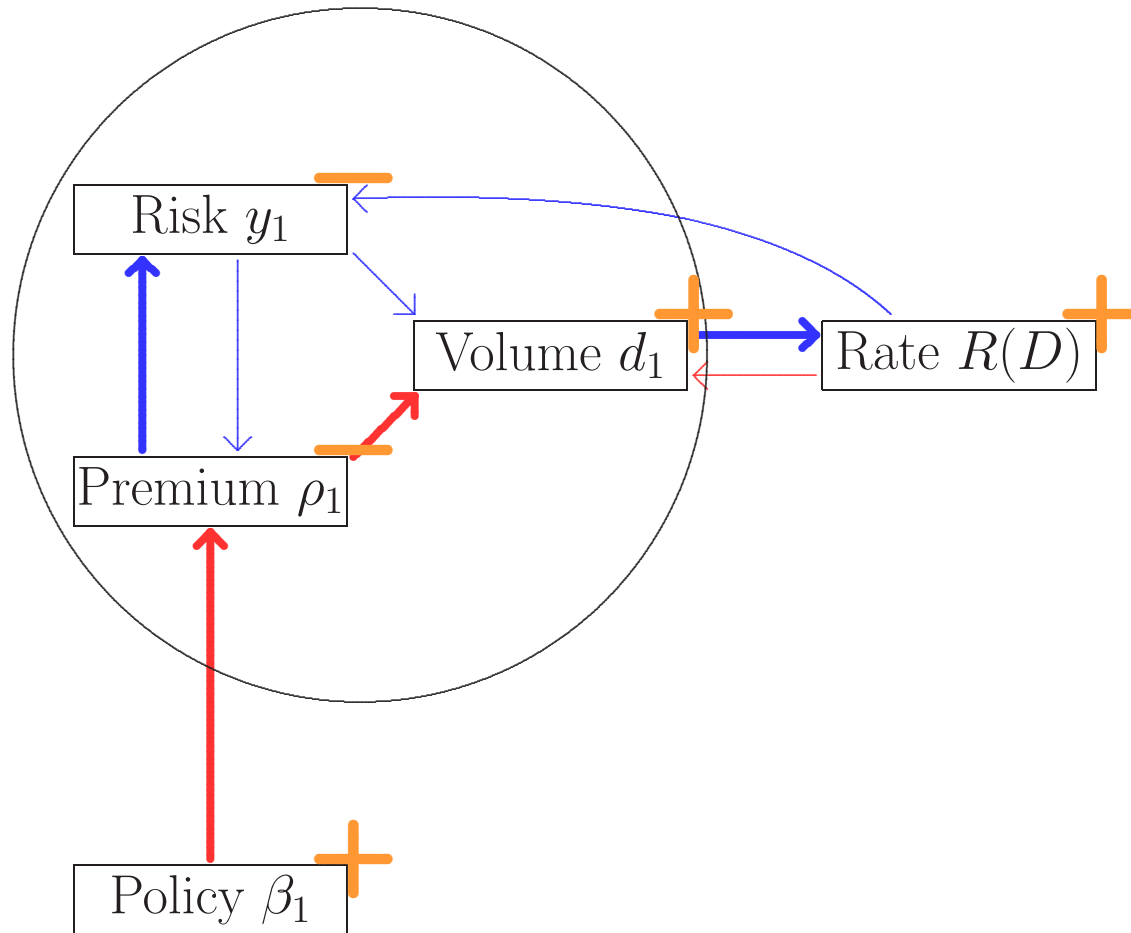
- Default premium ρ falls
- Volume d rises \rightarrow expansion
- Risk y falls



$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$

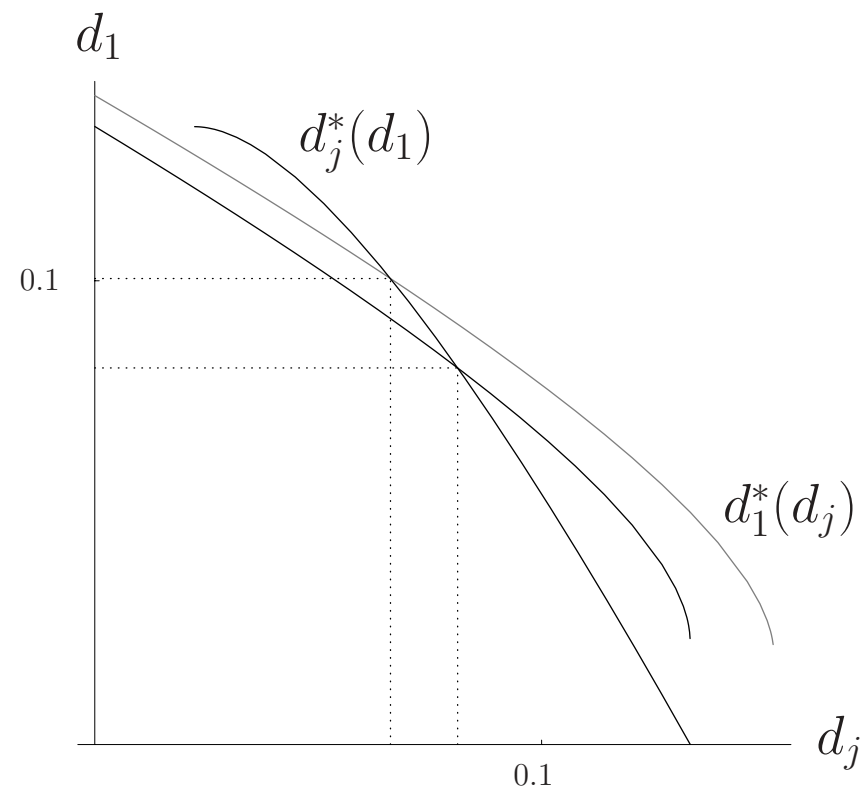


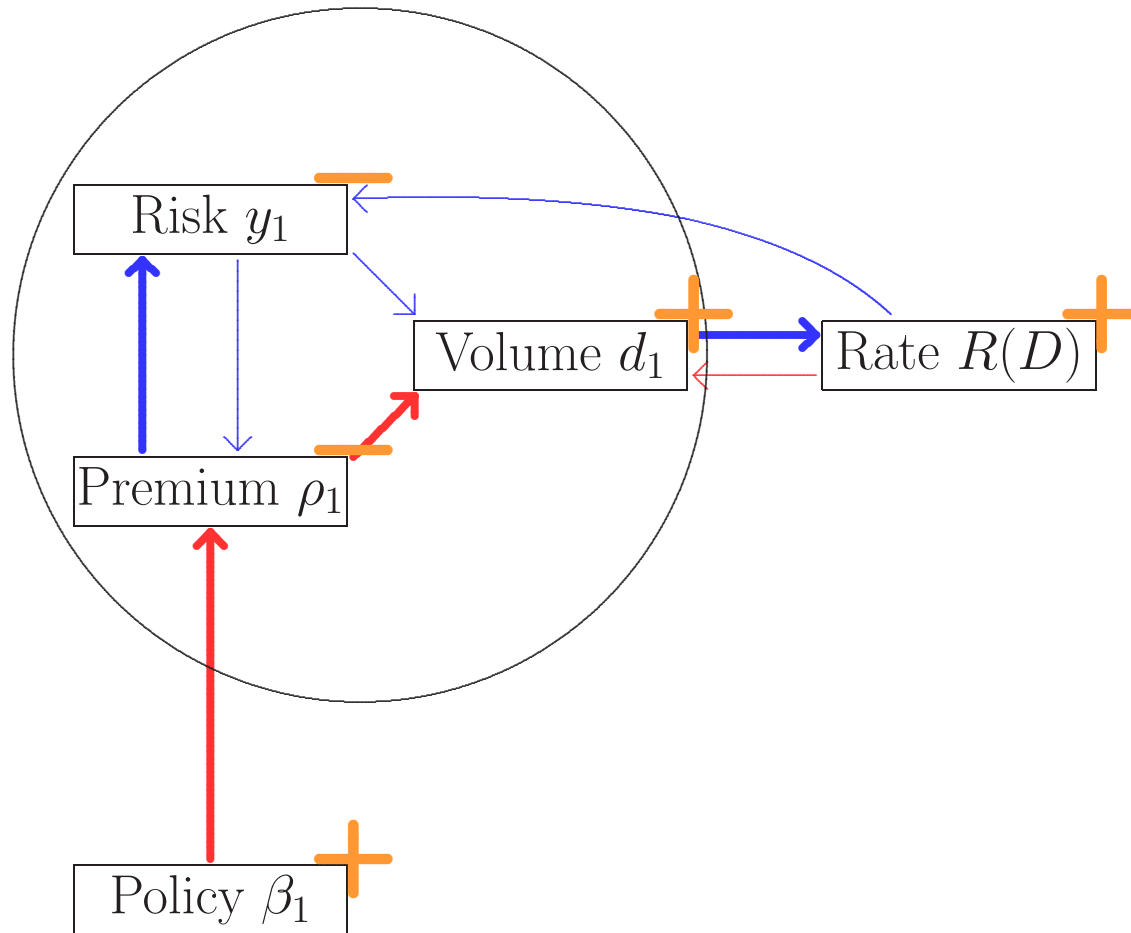
$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



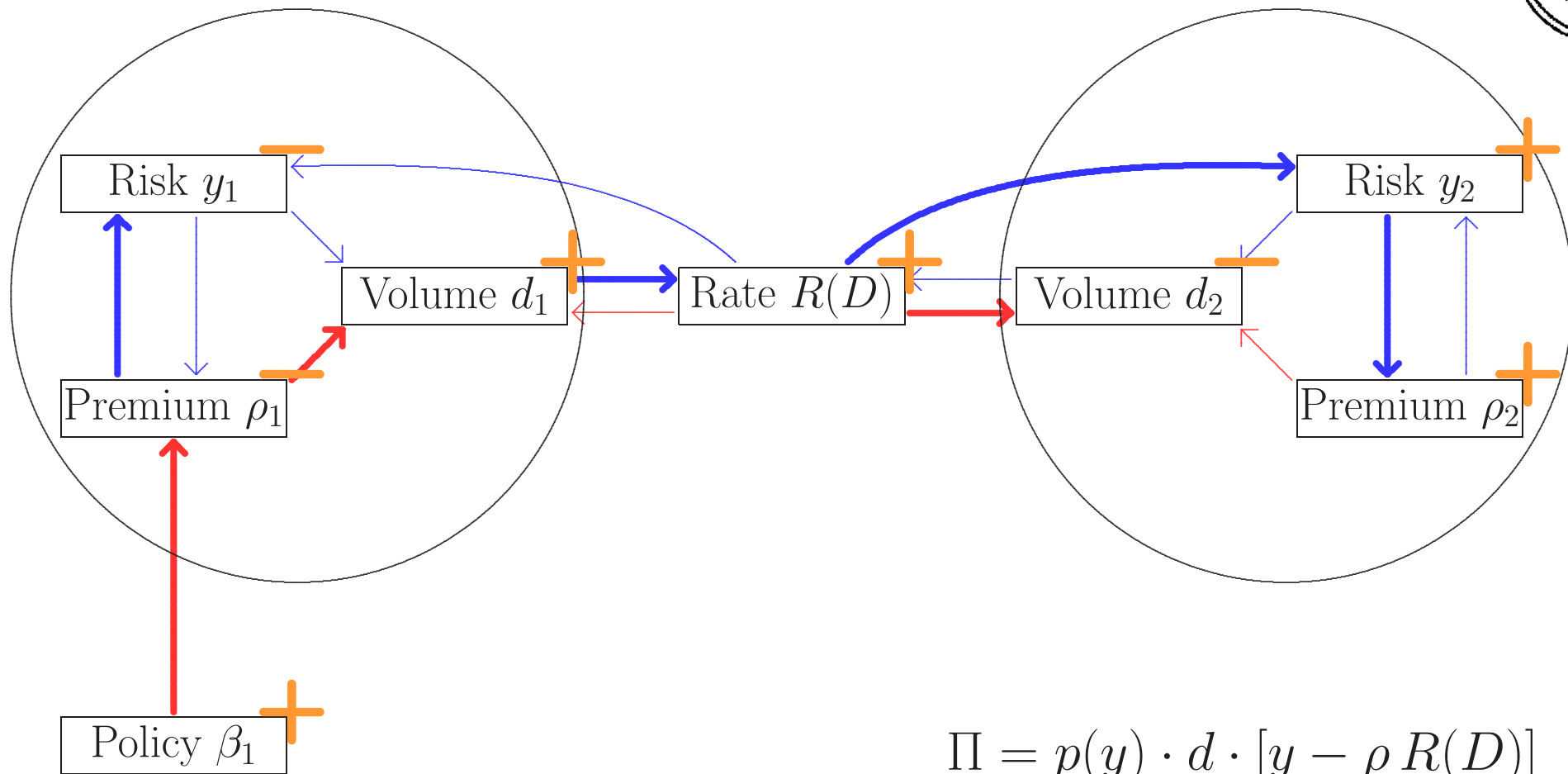
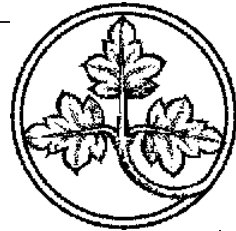
2.1.2. Oligopoly

- Reactions only on the market for deposits
- Bank 1 is protected \rightarrow look at increasing β_1

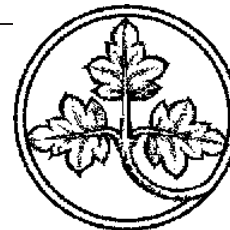




$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



Proposition 1 (Competitive effects of protection)

Increase in bail-out probability $\beta_1 \implies$

1. expansion of deposits at bank 1
contraction of competitors' deposits
expansion of aggregate deposits

$$\partial d_1 / \partial \beta_1 > 0$$

$$\partial d_j / \partial \beta_1 < 0$$

$$\partial D / \partial \beta_1 > 0$$

2. *reduction* in risk at bank 1
lower default premium

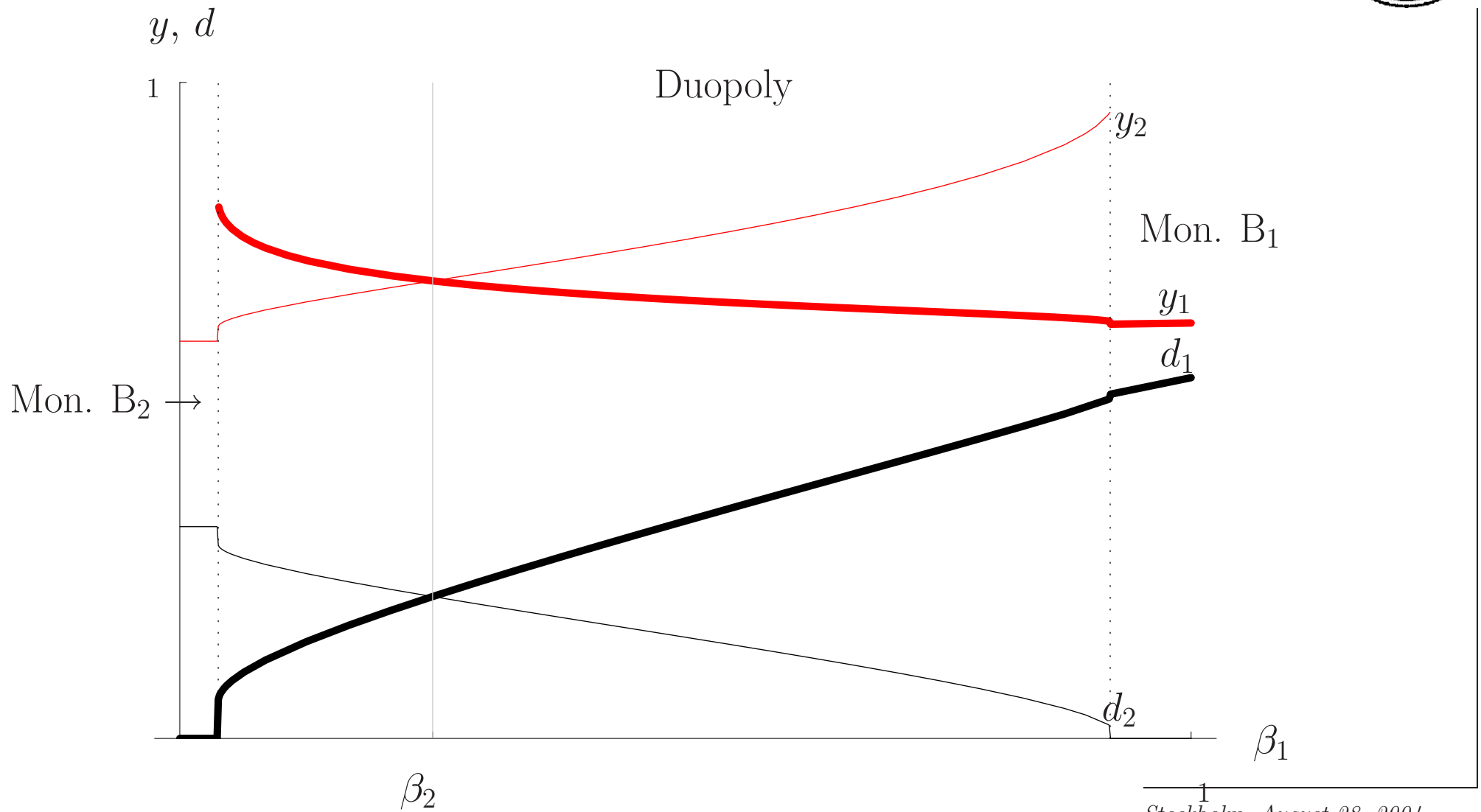
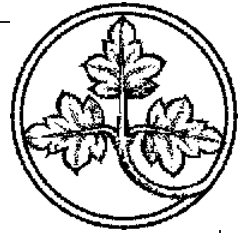
$$\partial y_1 / \partial \beta_1 < 0$$

$$\partial \rho_1 / \partial \beta_1 < 0$$

3. *increase* in risk at the competitors
higher default premia

$$\partial y_j / \partial \beta_1 > 0$$

$$\partial \rho_j / \partial \beta_1 > 0$$





2.1.3. Welfare

- First order effect: high β increases welfare
- Second order effect: asymmetric β increases welfare
- Contagion not considered \rightarrow further welfare effects
- Redistribution wasteful \rightarrow welfare loss



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2.2. Transparent Banks

Time structure (index omitted)

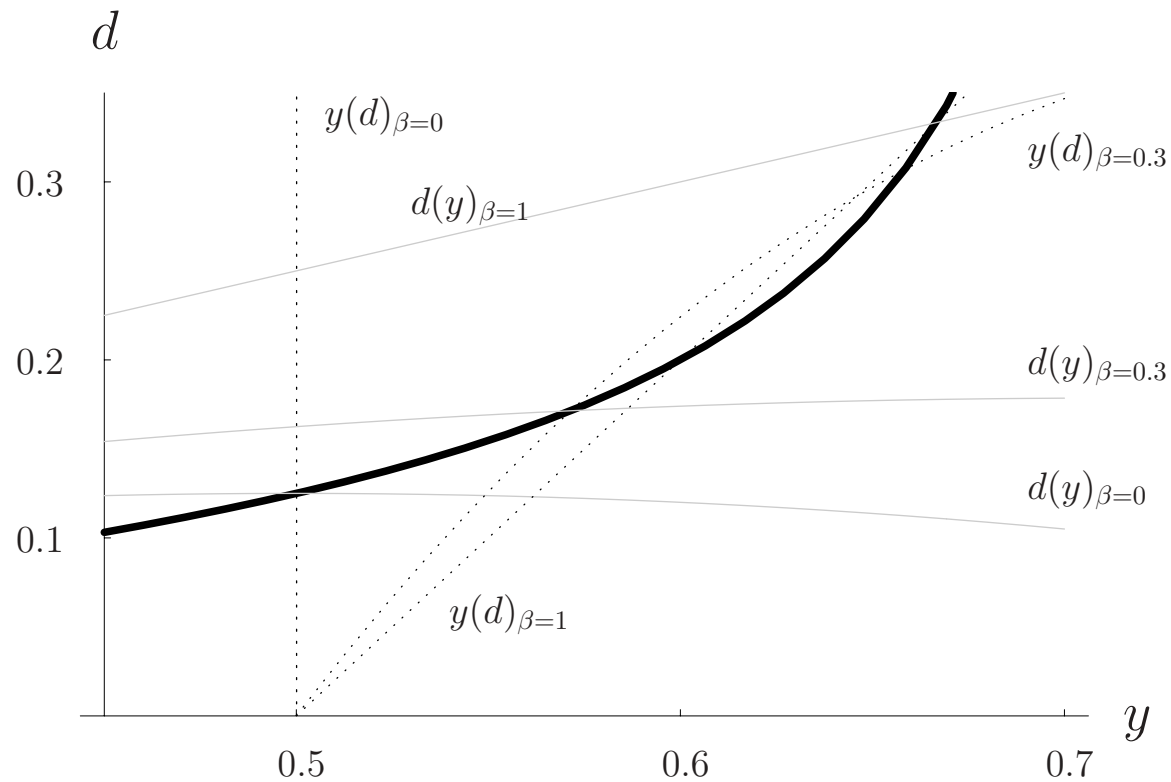
- government fixes bail-out probabilities β
- banks choose y , depositors **observe** y
- banks choose d (influencing $R(D)$)
- depositors **set default premium** ρ , banks invest
- projects mature, return y with prob. $p(y)$
banks pay out $\rho R(D)$ (if possible)
else, government pays $\rho R(D)$ with prob. β

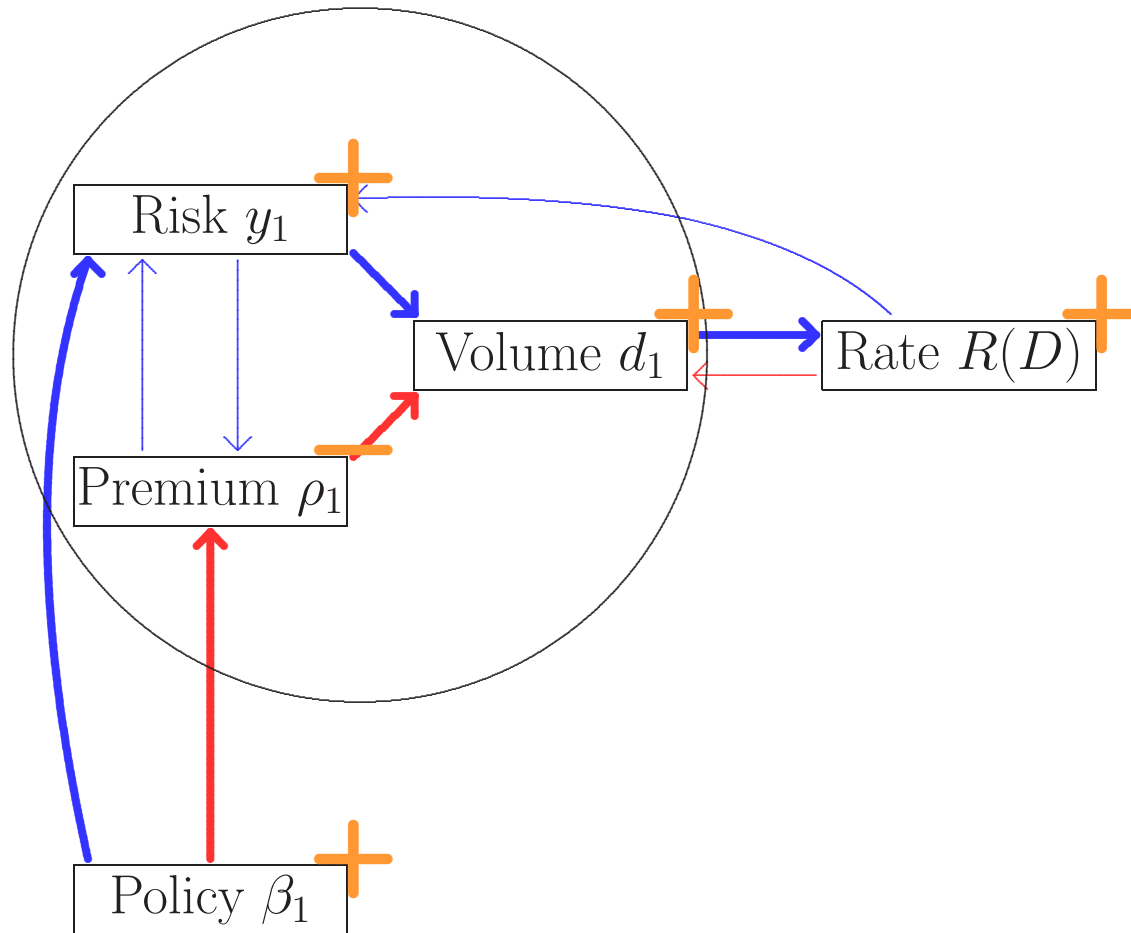
Additional assumption: β not too large



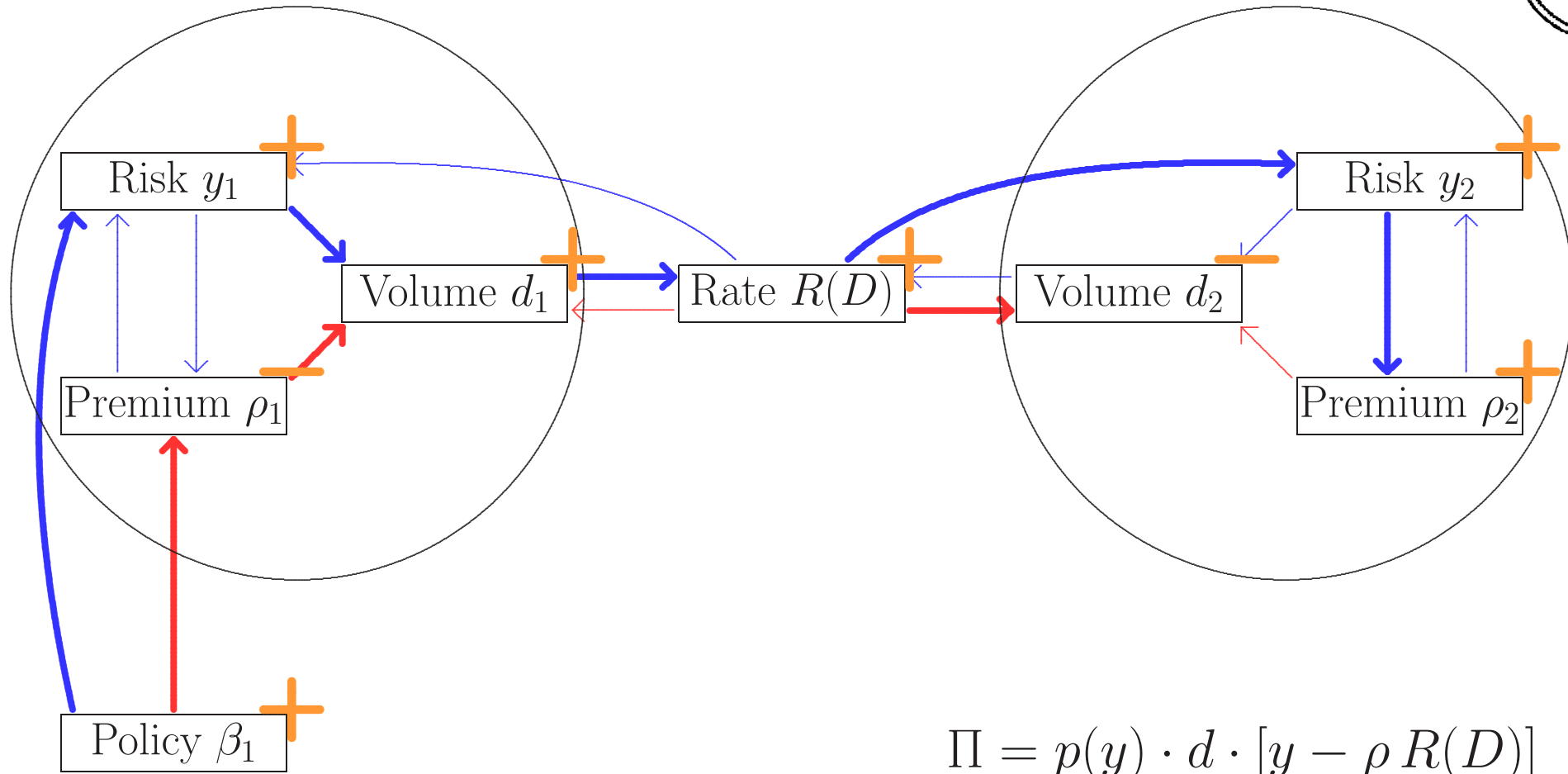
2.2.1. Monopoly

- for solution, first substitute $\rho = \frac{1}{p(y) + \beta(1 - p(y))}$, then solve for y and d





$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



$$\Pi = p(y) \cdot d \cdot [y - \rho R(D)]$$



2.2.2. Oligopoly

Reaction on the market for deposits as before (Cournot style)

Proposition 2 (Competitive effects of protection)

Increase in the bail-out probability β_1 implies

1. *expansion of deposits at bank 1*
contraction of competitors' deposits
expansion of aggregate deposits

$$\partial d_1 / \partial \beta_1 > 0$$

$$\partial d_j / \partial \beta_1 < 0$$

$$\partial D / \partial \beta_1 > 0$$

2. *increase in risk* at bank 1
a lower default premium

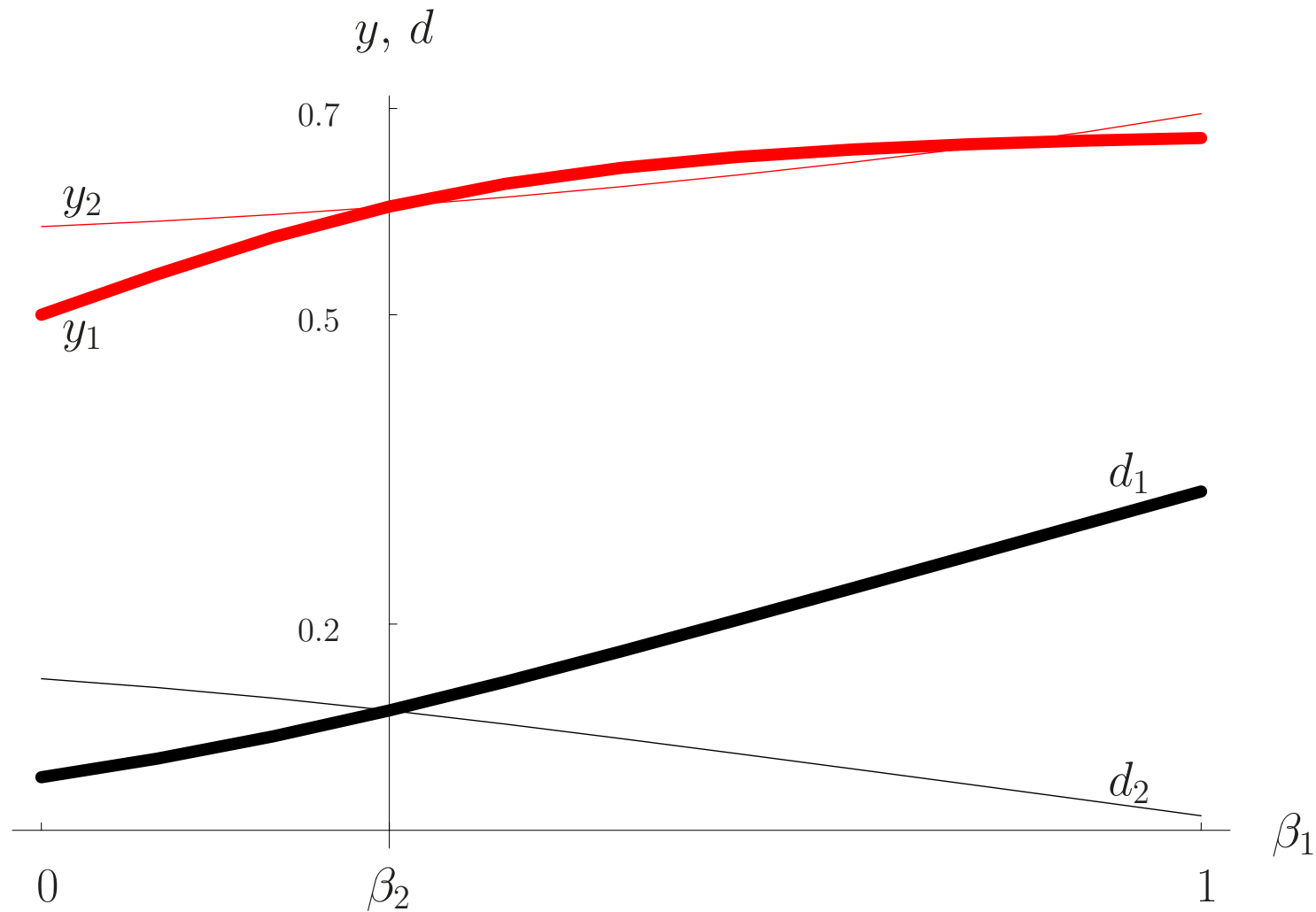
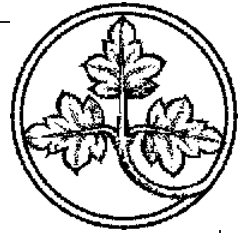
$$\partial y_1 / \partial \beta_1 > 0$$

$$\partial \rho_1 / \partial \beta_1 < 0$$

3. *increase in risk at the competitors*
higher default premia

$$\partial y_j / \partial \beta_1 > 0$$

$$\partial \rho_j / \partial \beta_1 > 0$$



→ Unclear which bank (protected, competitor) takes on more risk



2.2.3. Welfare

- $\beta = 0$ implies that both y and d are chosen first best
- Increase in β unambiguously leads to **welfare loss**



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3. Conclusion

Implications

- Optimal bailout policy changes with market transparency
 - Basel II
 - developing economies
- Discussion on government protection **misleading** if it concentrates only on protected banks →

Competitors matter



Extensions

- **Endogenize β**
more compelling if large banks are protected (“too big to fail”)
- Alternative types of markets
 - Salop circle
 - Competition for loans/investments
- **Empirical confirmation** → current work



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Thanks for your attention and discussion!